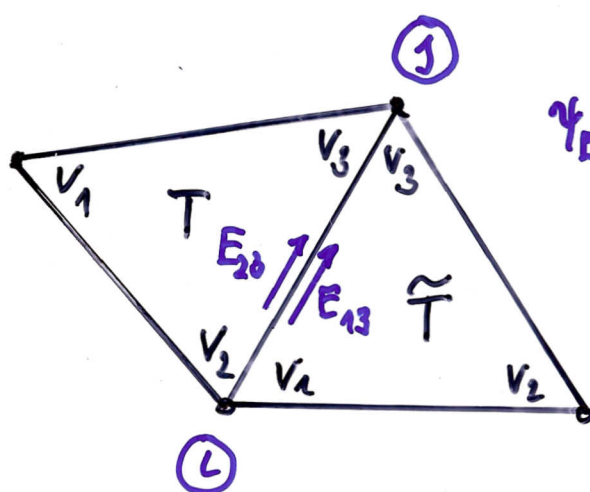


■ Exercise 3.7: = E26 of Tutorial 7

Let the local dofs associated with the same edge be identified, i.e



$$\begin{array}{ccc} \text{local} & & \text{global} \\ \psi_{E,23} & \equiv & \psi_{\tilde{E},12} = \psi_{E,ij} \end{array}$$

Show that the corresponding global fe space

$$\begin{aligned} \tilde{V}_h = \{v \in L_2(\Omega)^2 : v|_T \in \tilde{V}_T := \mathcal{N}_0 \wedge \{ \psi_{E,\alpha\beta} &\equiv \psi_{\tilde{E},\tilde{\alpha}\tilde{\beta}} \\ \implies \psi_{E,\alpha\beta}(v|_T) &= \psi_{\tilde{E},\tilde{\alpha}\tilde{\beta}}(v|_{\tilde{T}}) \} \} \end{aligned}$$

is a finite-dimensional subspace of  $H(\text{curl}, \Omega)$  with  $\dim \tilde{V}_h = \# \text{ edges}$ .

Solution: see E26 of Tutorial 7.