

■ Lemma 4.7: ( $\tilde{V}_k(\mathcal{T}_h)$ -boundedness)  
 Let  $\beta = -1, 0, +1$ ;  $\mathcal{T}_h$ -reg. \*  
 Then the bilinear form  $a_h(\cdot, \cdot)$  is  $\tilde{V}_k(\mathcal{T}_h)$ -cont.,  
 i.e.  $\exists \mu_k \neq \mu_k(h)$ :

$$(P) \quad a_h(v, w) \leq \mu_k \|v\|_h \|w\|_h$$

$$\forall v, w \in \tilde{V}_k(\mathcal{T}_h)$$

Proof: mms

■ Corollary 4.8:  
 Under the assumptions of Lemma 4.5.,  
 the DG scheme (4)<sub>h</sub> has a unique solution.

Proof: follows from the Lax-Milgram Lemma.  
 q.e.d.